# Behavioural Contracts for Components 

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## Design by Assembly

- ADL (90's)
- components
- connectors
- configuration
- UML 2.0 (2003)
- Behavioural typing with explicit types
- Regular types [Nierstrasz]
- «non understood message» [Najm et al.]
- Contracts
- Design by Contract [Meyer]
- Classification [Beugnard et al.]
- Syntactic / behaviour (pre/post) / synchronisation / QoS


## Framework of the study

- Components
- specification + code
- Non uniform services
- Dynamic links


## Objectives

- Safety properties: no external deadlock
- Liveness properties: messages will be consumed


## Roadmap

- The approach
- Interface language
- Component semantics
- Contract respect
- Sound assembly
- Conclusion \& Perspectives


## Approaches: Darwin, Wright,...



## Our approach



## Our approach



## Interface types: example



## Interface types: example


$\square$ Example:
Type access_manager

- access_manager = may ? [ reviewer_access (string,string,integer); must I [ refused; 0 + granted (strings); reviewer_manager ] ]
- reviewer_manager =
must ? [ review (strings); must ! [ Ok; reviewer_manager_chg + error; reviewer_manager ] ]
- reviewer_manager_chg =
may ? [ review (strings); must ! [ Ok; reviewer_manager_chg + error; reviewer_manager_chg ] ]


## Example:

## Type access_manager

```
                allowed: you can send, I guarantee the reception
- access manager =
    may ? [ reviewer_access (string,string,integer);
                                    must! [ refused; \(\mathbf{0}\)
                                    + granted (strings); reviewer_manager ] ]
You must send
                        obligation: I must send
- reviewe_ manager =
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\section*{Compatibility: Comp ( \(\mathbf{I}, \mathrm{J}\) )}
\begin{tabular}{|l|c|c|c|c|c|}
\hline\(J\) & I & must ? & may ? & must ! & may ! \\
\hline must ? & & & \(\sqrt{ }\) & & 0 \\
\hline may ? & & \(\sqrt{ }\) & \(\sqrt{ }\) & \(\sqrt{ }\) & \(\sqrt{ }\) \\
\hline must ! & \(\sqrt{ }\) & \(\sqrt{2}\) & & & \\
\hline may ! & & \(\sqrt{ }\) & & & \\
\hline \(\mathbf{0}\) & & \(\sqrt{ }\) & & & \(\sqrt{ }\) \\
\hline
\end{tabular}
\(\operatorname{Comp}\left(\bmod _{I}!\left[\Sigma_{k} M_{k} ; I_{k}\right], \bmod _{J} ?\left[\Sigma_{l} M_{l} ; J_{l}\right]\right)==_{\operatorname{def}}\)
\[
\operatorname{Comp}_{\bmod }\left(\bmod _{I}!, \bmod _{J} ?\right)
\]
\(\wedge\left(\forall k, \exists l: \operatorname{Comp}_{\mathrm{msg}}\left(M_{k}, M_{l}\right) \wedge \operatorname{Comp}\left(I_{k}, J_{l}\right)\right)\)
\(\operatorname{Comp}_{\mathrm{msg}}\left(M_{!}\left(I_{i}\right), M_{\mathbf{?}}\left(J_{i}\right)\right)==_{\text {def }} M_{!}=M_{?} \wedge \forall i, I_{i} \leq J_{i}\)

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\section*{Subtyping: \(\boldsymbol{T} \leq \boldsymbol{S}\)}
- Compatibility: sent message \(\leq\) received message
- receivings:
\(-\bmod ? M_{1}+M_{2}+M_{3} \leq \bmod ? M_{1}+M_{2}\)
- contra-variant: \(M(I) \leq M(J) \Leftrightarrow J \leq I\)
- sendings:
\(-\bmod !M_{1} \leq \bmod !M_{1}+M_{2}\)
- co-variant: \(\quad M(I) \leq M(J) \Leftrightarrow I \leq J\)
- modalities:
- may ? \(\leq\) must ? - may ? \(\leq 0 \quad\) - may ? \(\leq\) may !
- must ! \(\leq\) may ! \(\quad \mathbf{0} \leq\) may !

\section*{Properties of the subtypes}
- \(\leq\) is transitive
- Subtype can replace super-type
\(-\operatorname{Comp}(I, S) \&(T \leq S) \quad \Rightarrow \operatorname{Comp}(I ; T)\)
- Greater compatible super-type:
- dual: \(J^{D}=_{\text {def }} J\) with reversed sendings and receivings
\(-\operatorname{Comp}(I, J) \Leftrightarrow I \leq J^{D}\)
- Demonstrations
- by induction on the structure of the types

\section*{Component model}


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\section*{Component model: ports}
- Model based on observation of ports
- State of a port : up \({ }^{\sigma}\)
\(-\rho=\) action \(= \begin{cases}! & u \text { is in a sending state } \\ ? & u \text { is in a receiving state } \\ 0 & u \text { has no action }\end{cases}\)
\(-\sigma=\) activity \(= \begin{cases}a & u \text { is active } \\ s & u \text { is suspended } \\ i & u \text { is idle }\end{cases}\)
- Example:
\(-u ?^{\mathrm{a}}=\) active in receiving \(u!\mathrm{s}=\) suspended in sending

\section*{Component model: threads}
- Multi-threaded components
- Dependencies between ports: \(x \gg y\)
- activity of \(x\) is suspended until \(y\) terminates or becomes idle
- A thread is a chain (head, queue)
- head: current active port,
- queue: ordered sequence of suspended ports
- can dynamically grow/diminish


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\[
\underbrace{\left.\mathrm{u}_{1}\right]^{\mathrm{s}} \succ \mathrm{u}_{2} I^{\mathrm{s}} \longmapsto \ldots}_{\text {queue }} \mathrm{u}_{\mathrm{n}-1} \mathrm{I}^{\mathrm{a}}
\]

\section*{Component semantic}
- Component:
state ports, references, threads
- Operational semantic
\(-B(P, R, T), C o m \longrightarrow B^{\prime}\left(P^{\prime}, R^{\prime}, T^{\prime}\right), C^{\prime} m^{\prime}\)
- 11 Rules:
- creation / removal of ports
- binding
- (de)activation of ports (idle, active, suspended)
- sending/receiving messages

\section*{Example: RECV for Reviewer component}

\[
\begin{array}{ll}
\mathbf{T}^{\prime}=\mathbf{T}[u \rho / u \boldsymbol{?}] & \mathbf{R}^{\prime}=\mathbf{R} \cup\left\{\operatorname{refs}(\tilde{v}) \cdot u^{\prime \prime}\right\}-\left\{u^{\prime} \mid\left(u \multimap u^{\prime}\right) \wedge \operatorname{peer}\left(u^{\prime}\right)\right\} \\
\operatorname{Com}^{\prime}=\operatorname{Com}[u \nabla] & \mathbf{P}^{\prime}=\mathbf{P}\left[u \multimap u^{\prime \prime}\right] \text { si peer }(u)
\end{array}
\]

\section*{Some other rules}

-only sending ports, not suspended
-peer reference is attached to 1 port

-a port cannot suspend on a receiving port
\[
\text { C-SEND } \begin{aligned}
& \mathrm{R}^{\prime}=\mathrm{R}-\operatorname{peer}(\tilde{v} \cup\{u\}) \\
& B(\mathrm{P}, \mathrm{R}, \mathrm{~T}), \operatorname{Com} \xrightarrow{\frac{\mathrm{T}^{\prime}=\mathrm{u}[u \rho / u!]}{} \mathrm{u}^{\prime}!(\tilde{v})} B^{\prime}\left(\mathrm{P}, \mathrm{R}^{\prime}, \mathrm{T}^{\prime}\right), \operatorname{Com}^{\prime}
\end{aligned}
\]
-peer reference is private: known only to the partner

\section*{Component and contracts}
- Contractual component: B(...), \({ }^{\text {C }}\)
- correct behaviour
\[
\xrightarrow{\tilde{C} \xrightarrow{\alpha} \tilde{C}^{\prime} \quad B(\ldots) \xrightarrow{a} B^{\prime}(\ldots) \quad a: \alpha} \underset{B(\ldots), \tilde{C} \xrightarrow{a: \alpha} B(\ldots), \tilde{C}^{\prime}}{ }
\]
- unauthorized transition
\[
\frac{\tilde{C} \stackrel{\alpha}{\nmid} \tilde{C}^{\prime} \quad B(\ldots) \xrightarrow{a} B^{\prime}(\ldots) \quad a: \alpha}{B(\ldots), \tilde{C} \xrightarrow{a: \alpha} \text { Error }}
\]
- missing required transition
\[
\xrightarrow{\tilde{C} \xrightarrow{\alpha} \tilde{C}^{\prime} \quad B(\ldots) \stackrel{a}{\longrightarrow} B^{\prime}(\ldots) \quad a: \alpha} \bmod (\alpha), \tilde{C} \xrightarrow{a: \alpha} \text { Error must }
\]

\section*{Example: RECV for Reviewer component}
\begin{tabular}{|l|l|}
\hline \begin{tabular}{l} 
ports \(=\{(r \multimap g)\}\) \\
refs \(=\{r, g\}\)
\end{tabular} & \(r: a\) ? granted \((\ldots)\)
\end{tabular} \begin{tabular}{l} 
ports \(=\{(r \multimap\) a \()\}\) \\
refs \(=\{r, ~ a\}\)
\end{tabular}

\(u: T \equiv \bmod ? M_{\Sigma}\)
\(\left.\frac{u^{\prime}: T^{\prime} \equiv \bmod ^{\prime}!M_{\Sigma}^{\prime} \quad B(\mathbf{P}, \mathbf{R}, \mathbf{T}) \xrightarrow{u: u^{\prime \prime} ? m_{m_{k}}} B^{\prime}\left(\mathbf{P}^{\prime}, \mathbf{R}^{\prime}, \mathbf{T}^{\prime}\right)}{(B(\mathbf{P}, \mathbf{R}, \mathbf{T}), \tilde{C}) \xrightarrow{u: u^{\prime \prime} ? m_{m_{k}}}\left(B^{\prime}\left(\mathbf{P}^{\prime}, \mathbf{R}^{\prime}, \mathbf{T}^{\prime}\right), \stackrel{C}{C}\left[u: T_{k} / T, u^{\prime \prime}: T_{k}^{\prime} / u^{\prime}: T^{\prime}\right]\right.} \Leftarrow \tilde{v}^{\prime}: \tilde{U}_{k}^{\prime}\right)\)

\section*{Some other rules}
\[
\operatorname{BIND} \frac{u: T \quad v: S \quad B(\mathrm{P}, \mathrm{R}, \mathrm{~T}) \xrightarrow{\operatorname{bind}(u-\infty)} B^{\prime}\left(\mathrm{P}^{\prime}, \mathrm{R}, \mathrm{~T}\right)}{(B(\mathrm{P}, \mathrm{R}, \mathrm{~T}), \tilde{C}) \xrightarrow{\operatorname{bind}(u-\infty)}\left(B^{\prime}\left(\mathrm{P}^{\prime}, \mathrm{R}, \mathrm{~T}\right), \tilde{C}\right)} \operatorname{Comp}(T, S)
\]
\(\operatorname{BIND-ERR} \frac{u: T \quad v: S \quad B(\mathrm{P}, \mathrm{R}, \mathrm{T}) \xrightarrow{\text { bind }(u=o v)} B^{\prime}\left(\mathrm{P}^{\prime}, \mathrm{R}, \mathrm{T}\right)}{(B(\mathrm{P}, \mathrm{R}, \mathrm{T}), \tilde{C}) \rightarrow \text { Error }} \neg \operatorname{Comp}(T, S)\)

RECV-ERR \(\frac{u: T \equiv \bmod ?[*] M_{\Sigma} \quad \forall k, B(\mathrm{P}, \mathrm{R}, \mathrm{T}) \stackrel{\left.u: u^{\prime}\right\}^{m_{k}}}{(B(\mathrm{P}, \mathrm{R}, \mathrm{T}), \tilde{C}) \rightarrow \text { Error }} B^{\prime}\left(\mathrm{P}^{\prime}, \mathrm{R}^{\prime}, \mathrm{T}^{\prime}\right)}{\left({ }^{\prime}\right)}\)
\[
\text { RECV-UN } \frac{u: T \equiv \bmod ? M_{\Sigma} \quad B(\mathrm{P}, \mathrm{R}, \mathrm{~T}) \stackrel{u: u^{\prime} ? m_{k}}{ } B^{\prime}\left(\mathrm{P}^{\prime}, \mathrm{R}^{\prime}, \mathrm{T}^{\prime}\right)}{(B(\mathrm{P}, \mathrm{R}, \mathrm{~T}), \tilde{C}) \xrightarrow{u: u^{\prime} ? m_{k}}\left(B^{\prime}\left(\mathrm{P}^{\prime}, \mathrm{R}^{\prime}, \mathrm{T}^{\prime}\right), \tilde{C}\left[u: T_{k} / T\right] \Leftarrow u^{\prime}: T_{k}{ }^{\mathcal{D}}, \tilde{v}: \tilde{U}_{k}\right)} \wedge \wedge(u \multimap \perp)
\]
-RECV from unknown partner: take the greater type

\section*{Sound assembly of components}
- Component honouring a contract
- \(B\) is well-typed: \(B(P, R, T), \tilde{C}\) never leads to Error
- Assembly of components:
\[
\mathcal{A}=\left\{\left(B_{1}\left(\mathrm{P}_{1}, \mathrm{R}_{1}, \mathrm{~T}_{1}\right), \widetilde{C}_{1}\right), \ldots,\left(B_{n}\left(\mathrm{P}_{n}, \mathrm{R}_{n}, \mathrm{~T}_{n}\right), \widetilde{C}_{n}\right), \operatorname{Com}\right\}
\]
- reference closed
- only client/server and peer-to-peer bindings
- all ports are active and independent
- Sound assembly:
- all components respect their contract
- ports bound to each other are compatible

\section*{Properties}

\section*{Soundness is maintained through evolution}
- a sound configuration of components never leads to Error
\[
\forall C: \mathcal{A} \longrightarrow * C, \quad C \nrightarrow \text { Error }
\]
\[
\begin{aligned}
& \text { All the messages are eventually consumed } \\
& \begin{array}{|}
\forall u, v, i, M:(u-v) \in P_{i}, C \xrightarrow{u: v!M} C \\
\quad \Rightarrow \exists C ", C " \text { such that } C \longrightarrow \longrightarrow C^{\prime} \xrightarrow{v: u!M} C \prime \prime
\end{array}
\end{aligned}
\]

\section*{External deadlock}
- During assembly : no verification of the global behaviour
- \(u\) and \(u^{\prime}\) types are compatible
- \(v\) and \(v^{\prime}\) types are compatible

- During execution :


\section*{External deadlock}
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- \(u\) and \(u^{\prime}\) types are compatible
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- During execution :


\section*{Property: external deadlock freeness}
- A port cannot suspend on a receiving port
- external deadlock:
\(-u S v={ }_{\operatorname{def}} u \gg \quad \vee \quad u--->v \quad(-->\) external dependency \()\)
- Ext_deadlock \((C)=_{\text {def }}\)
\(\exists\left(u_{i}\right)_{1 . n} \in C\) such that \(\forall k<n: \quad u_{i} S u_{i+1} \wedge u_{n} S u_{1}\)
- Demonstration (deadlock freeness):
- by induction \& Reductio ad absurdum

\section*{Constraints on the component}
- a port cannot suspend on a receiving port:

- a receiving port cannot be suspended: \(u ?^{\text {s }}\) forbidden
- bindings: only sending \& (active or idle) ports: ula,i
- a 'must !' is not suspended by a 'may ?'
- unbind is not allowed
- [nonrentrant servers]

\section*{Application}
- Sound extension of running application


\section*{Conclusion}

- Contract conformance:
- Compatible interfaces:
\(\longrightarrow\) verification during compilation
\(\longrightarrow\) verification during deployment
- Properties of a sound assembly
- safety: a configuration never leads to Error
- safety: external deadlock freeness
- liveness: all sent message are eventually consumed

\section*{Perspectives}
- Interfaces: infinite state machines
- Integration to existing component platforms
- UML Profile
- Composite components \& delegation:


\section*{Future Work}
- Application to UML2.0: multiple delegation

- Application to a language
- From interface contracts to component contracts
- Extension to timed interfaces
- Application to PATS!!```

